

## Simulation of in situ X-Ray Diffraction peaks of single crystal Superalloys

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Single crystal superalloys are two phased alloys, where hard cuboidal  $\gamma'$  precipitates ( $L1_2$  structure) are embedded within a softer  $fcc$   $\gamma$  matrix. During high temperature creep, the precipitates evolve into platelets (rafts). Both phases bear a complex stress state, resulting from the temperature dependent lattice mismatch  $\delta(T) = 2(a_{\gamma'} - a_{\gamma}) / (a_{\gamma'} + a_{\gamma})$ , the distribution of alloy elements between dendritic and interdendritic zones, and the different plastic strain states of both phases. Using the symmetry around the [001] tensile axis and following the evolution of the (200) diffraction peaks during creep by *in situ* far field diffractometry [1] (ESRF, DESY) it is possible to compute the stress and plastic strain state of each phase. However, the (200) diffraction peak also contains information: the actual shape of cuboids and mobile dislocations densities, which can be retrieved only by modelling the microstructure, and compare the experimental diffraction peak to a simulated one [2]. A major hurdle is to build an efficient method to compute the mechanical fields (stress, strain, and displacement) within a  $(2\mu m)^3$  3D representative element of the microstructure containing dislocations divided in  $512^3$  voxels. We use a method based on the Fast Fourier Transform (FFT) well adapted to materials with heterogeneous elastic constants [3]. The scattered amplitude in the vicinity of a reciprocal lattice vector  $\mathbf{G}$  can then be computed as the FFT of  $\exp[2i\pi\mathbf{G} \cdot \mathbf{u}(r)]$  with the displacement field  $\mathbf{u}(r)$  at point  $r$ . Intensities generated at different points can be summed to get whole diffraction peaks. Further correction [3] is needed to remove oscillations of the displacement field in the vicinity of dislocation. The effect of various microstructural features is discussed and compared to experimental results.

**Keywords:** *SX superalloys; FFT method; load transfer; dislocations.*

### References:

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